Axis:

Name .		Date	Period
DIRECT	ΓΙΟΝ <u>S</u> : For #1-2, respond in the provided blank	S.	
1.	A parabola has its focus at $(8, -7)$ and directrix of $y = 1$. Identify the vertex of this parabola.	2.	A parabola has its vertex at $(5,3)$ and focus at $(1,3)$. Identify the directrix of this parabola.
DIRECT	 <u>ΓΙΟΝS</u> : For #3-4, write equations for the descri	bed parabo	blas in the provided blanks.
3.	Focus $(-1,7)$; Vertex $(-1,3)$	4.	Focus $(4, -4)$; Directrix $y = -6$
	FIONS: For #5-6, rewrite the equations in the s , focus, directrix, and axis of symmetry for the		rm for parabolas. Then identify the
5.	$x^2 - 8x + 2y + 16 = 0$	6.	$y^2 + 8x + 2y - 15 = 0$
	Equation:		Equation:
	<u></u>		
	Vertex:		Vertex:
	Focus:		Focus:
	Directrix:		Directrix:

Axis:

<u>DIRECTIONS</u>: For #7, write an equation for an ellipse with the given intercepts.

7. x-intercepts: ± 9 ; y-intercepts: ± 2

DIRECTIONS: For #8-9, write equations for ellipses with the given foci and sum of focal radii.

8. Foci: (-1,3),(3,3); Sum of focal radii = 10 **9.** Foci: (-6,0), (6,0); Sum of focal radii = 14

<u>DIRECTIONS</u>: For #10-11, **rewrite the equations** in the standard form for ellipses. Then identify the **center**, direction of the **major axis** (horizontal or vertical), **verticies**, **co-verticies**, and **foci**.

10. $x^2 + 9y^2 - 36y + 27 = 0$

11. $9x^2 + 4y^2 - 36x + 8y + 4 = 0$

 Equation:
 Equation:

 Center:
 Center:

 Major axis:
 Major axis:

 Verticies:
 Verticies:

 Co-verticies:
 Foci: